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CORRIGENDUM TO "ON STRONGLY PRIME MODULES AND RELATED TOPICS" (This Journal, Vol. 24, pp. 117—132)

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An error in the proof of 2)⇒3) in Theorem 1.3 has been kindly pointed out to the present author by Professor H. Katayama. Since the preradical P defined by the trace need not be LE in general, the proof 2)⇒3) should be changed slightly as follows: Let N be a non-zero proper submodule of M. We set $P(X)=(y)\mathrm{Hom}_R(Ry,X)$ ($y\in N$ and $X\in R$-Mod) and $\bar{P}(X)=X\cap P(\widehat{X})$, where $\widehat{X}$ denotes the injective hull of X. Let $\bar{P}^*(X)=\cap Y$, where Y runs through all the submodules of X with $\bar{P}(X/Y)=0$. Then $\bar{P}^*$ is the least LE radical larger than P. By 2), we have $\bar{P}^*(M)=M$. Hence we get $\bar{P}^*(M/N)=M/N$. By the definition of $\bar{P}^*$, we have $\bar{P}(M/N)\neq 0$, and therefore $P(\widehat{M/N})\neq 0$. That is, $\mathrm{Hom}_R(Ry,\widehat{M/N})\neq 0$ for some non-zero element y of N. Then we can choose a non-zero element $\bar{f}$ in $\mathrm{Hom}_R(Ry,\widehat{M/N})$. Since $\widehat{M/N}$ is the injective hull of M/N, there exists $a\in R$ such that $0\neq a(y)\bar{f}\in M/N$. Now, let $f=\bar{f}|_{Ray}$. Then f is a non-zero element of $\mathrm{Hom}_R(Ray,M/N)$, which proves 3).

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